## Rules of Thumb

$$
\eta=\sin ^{2}\left[\frac{\pi \Delta n_{2} d}{\lambda \cos \left(\alpha_{2 B}\right)}\right]
$$

## Reaches a maximum when:

$$
\Delta n_{2} d / \cos (\alpha)=\lambda / 2
$$

So if the thickness-modulation product is smaller than half the wavelength, the grating is not effective. The thickness-modulation product can be larger, and still yield high efficiency, but at the expense of bandwidth.

So for low angles, the reddest grating possible is about $2 \times 50 \mu \times 0.1=5 \mu$. At larger angles (high dispersion), this is reduced.

On the blue end, this equation gives no limit, but the limit is set by the condition for a grating to behave as a "thick" device:

$$
\rho \equiv \frac{\lambda^{2}}{\Lambda^{2} n_{2} \Delta n_{2}} \geq 10
$$

For short wavelength and large fringe spacings, $\Delta \mathrm{n}_{2}$ must be small. But the lower limit is set to about 0.0035 (with $50 \mu$ emulsion and 350 nm radiation) by the Kogelnik approximation we just used. The above condition is therefore not met for 300 or $6001 / \mathrm{mm}$ gratings at 350 nm .

